

The Genetic code: Section III

Tranformations between number–base systems

Åsa Wohlin
www.u5d.net

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17. Transformations between number-base systems (nb-x)

Bases - totals of ams – 5 x ES- numbers – Generative production of the 12-groups

1. Transformations of the codon-bases to the 12-groups of ams:

1.1 All geometrical dimensions should naturally be regarded as present in the cell simultaneously, on different levels, and interdependent through transformations into one another. One simple example is the geometries of proteins, forming linear threads (~ D1), sheets (~ D2) and globular forms (~ D3).

The thought that different d-degrees could be associated with different number base systems (nb-x), as nb-10, nb-8, nb-6 for x = 5, 4, 3, led to a first test on mass of codon bases with remarkable results, figure 17-1 below. Further investigation showed also several connections with the ES-series. (Nb-x in text below often written as "-index figures. Figures in nb-8 and nb-6 are often rewritten with figures from nb-10.)

Fig 17-1: From mass of codon bases to the two 12-groups of ams:

	<u>nb-10</u>	<u>nb-8</u>	<u>24 ams R</u>
G	151	→ 227	
C	111	→ 157...	sum 384 *, x 2 = 768 ~ 770
U	112	→ 160	
A	135	→ 207...	sum 367, x 2 = 734
	509	= 751	= 1504
	↓		
	x 2 = 1018	→ 1772	= 24 B-chains unbound

* G + C transformed together = 386 in nb-8.

Hence, 4 sets of the 4 bases give the total sum of 24 unbound ams.

We find also that 2 x G+C-bases in nb-8 as 768 gives total sum 3276 in nb-6:

$$\begin{array}{ccc} \text{nb-10} & \text{nb-6} & \\ 768 \longrightarrow & \mathbf{3276} & 24 \text{ ams R + B, unbound (rewritten from 3320)} \end{array}$$

The sum of the 4 bases in nb-8 = 752 +/-1:

$$\begin{array}{ccc} \text{nb-10} & \text{nb-6} & \\ 752 \longrightarrow & \mathbf{2848} & 24 \text{ ams R + B. bound (rewritten from 3050)} \end{array}$$

Fig 17-2. From 752 as sum of ES-numbers 5', 4' and 3' to 2848 in nb-6:

$$\begin{array}{rcl}
 5' & 292_{10} \longrightarrow & 1204_{65} - 244 = \mathbf{960} \text{ U+A} \\
 4' & 252_{10} \longrightarrow & 1100_{65} + 244 = \mathbf{1344}, 24 \text{ B-chains bound} \\
 3' & 208_{10} \longrightarrow & 544_6 = \mathbf{544} \text{ G C} \\
 \hline
 1' & 100_{10} \longrightarrow & 244_6 \xrightarrow{\uparrow} = \mathbf{2848}
 \end{array}$$

$$2848 = 24 \text{ ams R + B bound}$$

1.2 Some general annotations:

However strange the idea surely may seem for scientific "common sense", the many astonishing results here and below are rather difficult to dismiss as only haphazard. If they are not, if they reveal some connections on deep energy levels, they should represent one kind of references, one kind of guiding operators for potential growth - or just what is sometimes in the biochemical field is referred to as "affinities"?

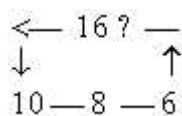
All derived numbers shall naturally be regarded as nb-10-numbers, hence transformations as nb-10 \rightarrow nb-8 may be repeated, illustrated for instance in the carbon-nitrogen cycle in the sun, from ^{12}C to ^{14}N to ^{16}O , intermediate steps showing one way to perform such transformations.

It follows that all operations as multiplications are performed in nb-10. Indexes for x in nb-x are often used below to shorten the text. As mentioned above numbers in nb-8 and nb-6 are often rewritten with figures from nb-10.

A question is of course if such rewritings could be expressed in biochemical processes as for instance 20 equivalent with (\sim) 18 in nb-8 as -2H or 120 in nb-6 \sim 76 as -44 (CO_2)?

Another question is how to interpret nb-16 in many examples below. If keeping to the thought of x in nb-x as first three numbers in the elementary chain $5' \rightarrow 4' \rightarrow 3'$ doubled, should nb-16 be regarded as 2×4 doubled or $2(5 + 3)$ doubled?

Fig Ti-1



A general feature may be noted: transformation of sums or whole units give larger numbers in lower nb-systems than their parts transformed and summed afterwards.

1.3 Halves of the 12-groups 770 and 734, $-/+1 = 384$ and 368:

Fatty acids, a first annotation here:

Cell membranes are an equally essential part of life as the genetic code. Two of the most common fatty acids give transformed to nb-6 three times these numbers 367 and 385, $+/-1$, a relation to R-chains of the 24 ams $= 3/2$ and simultaneously a relation degree 3 to 4 (nb-6 to nb-8) with the assumed view above.

$$\text{C16H32O2: } 256-10 \rightarrow 1104-6 = \mathbf{3 \times 368}$$

$$\text{C18H36O2: } 284-10 \rightarrow 1152-6 = \mathbf{3 \times 384}, (\text{Note: } 1152 = 752 \text{ rewritten})$$

Cf. the hexagonal pattern in Table 0: fatty acids as a third way to read such a pattern.

From the numbers **384** and **368** in nb-10 transformed in two steps to nb-8 we get 2 sets of bases G and A in nb-8, as in opposite direction to the figure above and without C and U:

$$384 \times \frac{1}{2} = 192-10 \rightarrow 300-8 / 300-10 \rightarrow 454-8 = 2 \times 227 = 2 \text{ G-8}$$

$$368 \times \frac{1}{2} = 184-10 \rightarrow 268-8 / 268-10 \rightarrow 414-8 = 2 \times 207 = 2 \text{ A-8}$$

1.4 . Bases → totals:

1.4.1 Four times G+U and A+C to ~ B- and R-chains of total 3276:

Sums of R+B-chains together in **nb-10**:

$$G1 + U1 = C2 + A2 = \mathbf{1468}$$

$$C1 + A1 = G2 + U2 = \mathbf{1808} \dots \text{Sums of coded amino acids (R + B)}$$

With exchanged partners these sums are given from 4 times the bases:

Fig. 17-3

	<u>10-base</u>		<u>8-base</u>
4 G-bases = 4 x 151 =	604	→	1134
4 C-bases = 4 x 111 =	444	→	674...sum 1808
1 A-base =	135	→	207, x 4 = 828
1 U-base =	112	→	160, x 4 = 640... sum 1468

In nb-10 we have groups of ams paired in keto-/amino types:

Here G- and A-bases have exchanged partners and bases A and U must be multiplied with 4 after transformation.

Fig. 17-4

	<u>10-base</u>		<u>8-base</u>
4 G =	604 →		1134
1 U =	112	160, x 4 =	640, + 1134 = 1774 ~ B-chains +2
4 C =	444 →		674
1 A =	135	207, x 4 =	828, + 674 = 1502 ~ R-chains -2

Rewriting 640 to 638 and 828 to 830 gives the right sums B 1772 and R 1504.

1.4.2 Two sets of bases from ES-numbers 5', 4' and 3':

Fig. 17-5

$$\begin{array}{rclcl}
 \text{"5"}; & \xrightarrow{10\text{-base}} & & \xrightarrow{8\text{-base}} & \\
 292 & \longrightarrow & & 444 & \\
 \text{"4"} & & & & \\
 252 & \longrightarrow & & 374 & \\
 & & & & > 818, \sim 1018 = 2 \times 4 \text{ RNA-bases } 509 \\
 & & & & \text{in base-10 system} \\
 \\
 2 \times \text{"3"} & \xrightarrow{16\text{-base}} & & \xrightarrow{10\text{-base}} & \\
 416 & \longrightarrow & & 1046 & \\
 & & & & 1046 = 2 \times 4 \text{ DNA-bases } 523 \\
 & & & & \text{in base-10 system}
 \end{array}$$

Number 416 (2 x 3', 208) is the one which added to 544 gives the A-U-group of ams. Cf. that U-base gets replaced by T-base in DNA, a CH₂-group added for inward direction to DNA. (It could perhaps be compared with the interpretation of nb-16 as 2 x (3' + 5'), a step backwards from 3' to 5', equivalent with inwards?)

2. The bases in the ES-chain:

Fig. 17-6

$$\begin{array}{rclcl}
 \xrightarrow{10\text{-base}} & \xrightarrow{8\text{-base}} & & & \\
 G \ 151 & \longrightarrow & 227 & \text{(denotation here } G_8 \text{ etc.)} & \\
 U \ 112 & \longrightarrow & 160 & & \\
 C \ 111 & \longrightarrow & 157 \dots \text{sum} & 544 & \\
 \\
 A \ 135 & \longrightarrow & 207 \dots \text{sum} & 208 - 1 & \xrightarrow{10\text{-base}} \xrightarrow{8\text{-base}} \\
 & & & & A_8 \ 207 \longrightarrow 317 = U_8 + C_8 \ (2 \times 158,5)
 \end{array}$$

U 160 + C 157 in nb-8 approximate number 2' = 159 in the ES-series, together 317.

In nb-10 number 385 is the interval 544 to 159. Here G-8 becomes the same interval to both bases U-8 + C-8. Cf. that G-base can bind to both:

Fig 17-7: The bases in nb-8 in the ES-chain:

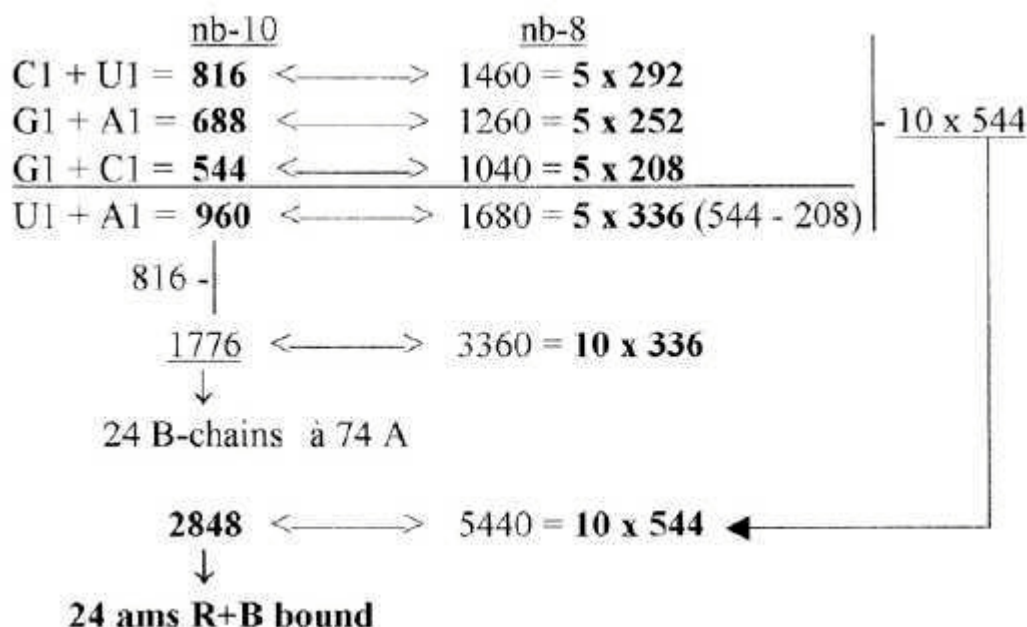
$$\begin{array}{ccccccc}
 5^{2/3} & 4^{2/3} & 3^{2/3} & 2^{2/3} & 1^{2/3} & \times 10^2 & \\
 292 & 252 & 208 & 159/158 & 100 & 0 & \rightarrow \text{ES-chain} \\
 \backslash & / & & \backslash & / & & \\
 & & 207 A_8 & & & & \\
 544 & \leftarrow \wedge \longrightarrow & 317 & = U_8 + C_8 & (159 = U_8 - 1, 158 = C_8 + 1) & & \\
 \text{diff.} & 227 G_8 & & & & & \\
 & & [207_{10} = 317_8] & & & &
 \end{array}$$

These relations could be a reason why G+C-bases get connected with the 12-group 770 of ams in spite of all bases equally represented in this group.

3. 5 times ES-numbers:

3.1 The transformations between nb-10 and nb-8 of main codon groups of ams and 5 times the ES-chain numbers 5' - 4' - 3' are among the most astonishing:

Fig 17-8: Main codon groups of ams from 5 times ES-numbers:



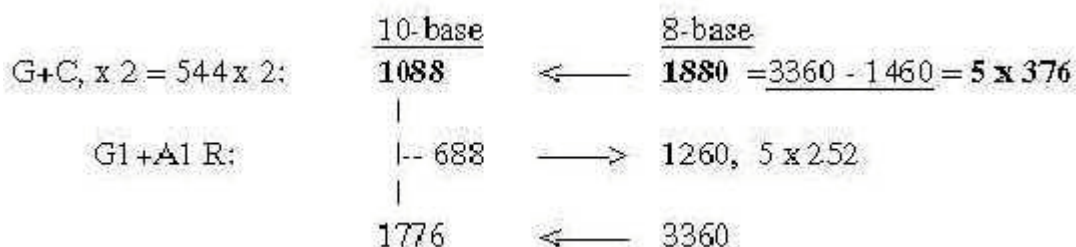
816 and 688 is the division of **R**-chains of total sum 1504 of 24 ams, a division between purine and pyrimidine codon groups, As a division in step 5 - 4 here it precedes the one between complementary pairs G-C and U-A, which are attained from the secondary division of 544 in 336 and 208, a division in step 4 - 3.

Note also about 1344, the 24 B-chains bound, included in sum 2848:

1344 in nb-10 = 2500 in nb-8 = ES-numbers **5(292 + 208)**

These relations seem to support the relevance of both the ES-chain and the thought that nb-transformations could be part of the reference system.

Fig 17-9 5 x half of 752, number 688 as an interval:



There is also the feature that divisions stepwise as polarizations of numbers 816 in U1 + C1, separately transformed to nb-8 give 1260, next lower level, and this back to nb-10 and divided G1 and A1 gives 1040 in nb-8:

Fig 17-10. Stepwise polarization giving next number x5 in Es-chain:

Steps of "polarisations" "5" → "4" → "3":

Steps:	Ams	nb-10	nb-8	ES-numbers
"5"	C1 + U1:	816	← 1460	= 5 x 292
	C1:	↓ 353	→ 541	
	U1:	↓ 463	→ 717...1258 ~ 1260	= 5 x 252
			↓	
"4"	G1 + A1:	688	← 1260 ← 1260	
	G1:	↓ 191	→ 277	
	A1:	↓ 497	→ 761...1038 ~ 1040	= 5 x 208
			↓	
"3"	G1 + C1:	544	← 1040 ← 1040	

3.2 About the interval 84 = 292 → 208 in the ES-chain we have that $n \times 84$ ($n = 1, 2, 4$) times 10 (1040 ~ 840, 1680 and 3360) in nb-8 gives the groups 544, 960 and 1776 in nb-10:.

Fig 17-11. $n \times$ interval 84:**84 = interval 292 – 208:**

	nb-10	nb-8	ES-series
24 B-chains à 74 A:	1776	← 336 x 10	= 4 x 84, x 10 (292 - 208)
A+U-coded ams R:	960	← 168 x 10	= 2 x 84 "
G+C-coded ams R:	544	← 84 x 10	= 1 x 84 "

3.3 5 times intervals in the exponent series in nb-8 give ams-groups -/+1:**Fig. 17-12** 5 x interval in the ES-chain:

<u>Ams</u>	<u>10-base</u>	<u>8-base</u>	<u>Intervals in the exponent series:</u>
G1+1	192	← 300 = 5 x interval 60 = 292 - 352 = "5" — ("4 + 1")	
A1 -1:	496	760 = 5 x interval 152 = 252 - 100 = "4" — "1"	
U1+1	464	720 = 5 x interval 144 = 352 - 208 = ("4 + 1") — "3"	
C1 -1	352	540 = 5 x interval 108 = 208 - 100 = "3" — "1"	

3.4 Nb-6: 5 times the ES-numbers 5', 4' 3' in nb-6:

It gives the sum of U- plus A-coded ams R and also all C-atoms in R-chains in nb-10, divided on G1 + A1 = 396 and U1 + C1 = 564:

Fig. 17-15b

$$\begin{array}{c} \text{nb-10} \rightarrow 8 \quad \text{nb-10} \rightarrow 8 \\ 177 \longrightarrow 261 \longrightarrow 385 \quad \rightarrow \times 2 = 770 \\ | \longleftarrow 208 \longrightarrow | \end{array}$$

$$\begin{array}{c} \text{nb-10} \rightarrow 8 \quad \text{nb-10} \rightarrow 8 \quad \text{nb-10} \rightarrow 8 \\ 208 \longrightarrow 320 \sim 318^* \longrightarrow 476 \longrightarrow 734 \\ | \quad 158 \quad 258 \quad | \\ | \longleftarrow 416 \longrightarrow | \end{array}$$

* 318 = 2 x 2', 159, from there only two steps:

Fig 17-15c:

$$2 \times 159: \quad \begin{array}{c} 10 \rightarrow 8\text{-base} \quad 10 \rightarrow 8\text{-base} \\ 318 \rightarrow 476 \rightarrow 734 \rightarrow \text{RNA+Pair-coded ams} \end{array}$$

In group 734 U+A-coded ams = 575, a number given through two steps nb-10 to nb-8, either as sum of 500 + Meth 75 or from 208 + interval 49: Meth that starts the protein synthesis are attained from the middle interval in the ES-chain:

Fig 17-15-d:

$$\begin{array}{c} \begin{array}{c} 10 \rightarrow 8\text{-base} \quad 10 \rightarrow 8\text{-base} \\ 208 \rightarrow 320 \rightarrow 500 \\ | \quad | \\ | \longleftarrow 292 \longrightarrow | \end{array} \quad \begin{array}{c} 575 \\ \swarrow \\ \rightarrow \text{Meth, R 75} \end{array} \\ \text{Interval 208-159:} \quad \begin{array}{c} 10 \rightarrow 8\text{-base} \quad 10 \rightarrow 8\text{-base} \\ 49 \rightarrow 61 \rightarrow 75 \\ | \quad | \\ | \longleftarrow 26 \longrightarrow | \end{array} \end{array}$$

Note too that Meth leaves its outer CH₃-group at start of synthesis, (= -15 +1), which gives R-chain = 61, the intermediate number in the figure above.

575 directly from 208 + 49 = 257 in only two steps:

Fig 17-15e:

$$\begin{array}{c} 257 \longrightarrow 381 \longrightarrow 575 \\ | \quad | \\ | \longleftarrow 318 \longrightarrow | \end{array}$$

Number 75, R-chain of Meth:

In the ES-chain in nb-10 the number 75 = interval 292 - 367 (the sum in the middle of the chain). Transformed in two steps nb-10 to nb-8 it gives the number 159:

$$75 \rightarrow 113 \rightarrow 159 \text{ (161 rewritten)}$$

4.2 A- and T-bases give the sum 575 of ams with non-mixed codons:

Starting numbers 177 and 208 in transformations, minus 1 in each, are the T- and A-bases in nb-8. With DNA-base T we get the sum **575** in two steps nb-10→8: (*Cf. file 02.*)

Fig. 17-16: $A+T$

$$\begin{array}{lcl}
 \text{A:} & \begin{array}{c} \text{10-base} \\ 135 \end{array} & \begin{array}{c} \text{8-base/10-base} \\ 207 \end{array} \rightarrow \begin{array}{c} \text{8-base} \\ 317, +3 = \mathbf{320} \end{array} = \text{AA-AU-coded ams R} \\
 \text{T:} & \begin{array}{c} 126 \end{array} & \begin{array}{c} 176 \end{array} \rightarrow \begin{array}{c} 258, -3 = \mathbf{255} \end{array} = \text{UU-UA-coded ams R} \\
 & & = \mathbf{575}
 \end{array}$$

The Exponent series: $317 = 2 \times 158,5, \sim 2 \times "2"$, $258 = 158 + 100, \sim "2 + 1"$.

How explain the T-base here, a DNA-base giving A in RNA?

4.3 770-group from 4':

It can be added that $2 \times 252 (= 4' \text{ in the ES-chain})$ in nb-10 leads directly to 770 in nb-8:
 $2 \times 4' (252) = \mathbf{504-10} \rightarrow \mathbf{770-8}$

4.4 Parts of 12-group 770 from halved ES-chain:

The division of group 770 in Cross- and Form-coded ams, **418** and **352**, may be derived by dividing the whole ES-chain in step 4'-3' and halving these numbers:

Fig 17-17: *From halved ES-parts to mixed codon groups*

$$\begin{array}{ll}
 \text{Cross-coded} = \mathbf{418} = 2 \times 209; & \text{CA+CA+CU} = 210, \text{UG+UG+UC} = 208, \\
 \text{Form-coded} = \mathbf{352} = 2 \times 176; & \text{GA+GA+GU} = 175, \text{AG+AG+AC} = 177.
 \end{array}$$

$$\begin{array}{lcl}
 \text{The exponent series:} & \begin{array}{c} 292 - 252 \\ 544 \\ \downarrow \\ \text{10-base:} \\ \downarrow \\ \text{8-base:} \end{array} & \begin{array}{c} 208 - 159 - 100 \\ 467 \\ \downarrow \\ \text{234. (round number)} \end{array} \\
 & \begin{array}{c} \times \frac{1}{2} = 272 \\ \downarrow \\ 418 \\ = \mathbf{2 \times 209} \end{array} & \begin{array}{c} \times \frac{1}{2} = 234. \text{ (round number)} \\ \downarrow \\ 352 \\ = \mathbf{2 \times 176} \end{array}
 \end{array}$$

4.5 Derivation of N- and Z-numbers within the two 12-groups of ams:

Fig. 17-18:

G+C-group: $G_8 + C_8 = 384$, difference transformed in 1 step:

$$384 - G_{10} 151 = \overset{\text{10-base}}{233} \rightarrow \overset{\text{8-base}}{351} = \text{N-number in 770-group}$$

$$\frac{384 - C_{10} 111 = 273}{768} \rightarrow \frac{421 \sim 419}{772 - 770 \sim 768} = \text{Z-number in 770-group}$$

A+U-group: $A_8 + U_8 = 367$; difference transformed in 2 steps:

$$367 - U_{10} 112 = \overset{\text{10-base}}{255} \rightarrow \overset{\text{8-base}}{377}$$

$$377 - 112 = 265 \rightarrow 411 \sim 409 = \text{Z-number in 734-group}$$

$$367 - A_{10} 135 = 232 \rightarrow \underline{350 \sim 348}$$

$$\frac{348 - 135 = 213}{734} \rightarrow \frac{325}{734} = \text{N-number in 734-group}$$

18. More on totals and other notable transformations

CCC – Why 24 ams? - H-atoms - N-numbers - C-atoms in R - B-chains - 1st to-2nd base

1. Total sum R+B-chains of 24 ams unbound = 3276:

3276 is about 1/10 of 2^{15} . In nb-16 it's CCC, which may be transcribed as 12.12.12 = 3072 ($3 \times 322 = 4 \times 768$) + 192 + 12:

Fig 18-1: Total sum of 24 ams R+B:

$$\begin{array}{rcl}
 \begin{array}{c} \text{nb-16} \\ \text{CCC} \\ \downarrow \\ 12.12.12^* \end{array} & \longrightarrow & \begin{array}{c} \text{nb-10} \\ 3276 = 24 \text{ ams R+B unbound} \end{array} \\
 & & \begin{array}{c} \text{nb-10} \\ 204 \longrightarrow 314 \text{ } (-\pi \times 10^2) \\ = \text{Trp, R+B,} \\ \text{the heaviest amino acid.} \end{array} \\
 2 \times 314 & \longrightarrow & 2848 = 24 \text{ ams R+B bound}
 \end{array}$$

($2 \pi \times 100$: the bound 24 ams as a closed circle!)

12.12.12: An association goes to carbon ^{12}C and the 3C-molecules from halved fructose in glycolysis from which first group of ams derives. Could we eventually read positions of the carbon atoms as decided and guided by oxygen ^{16}O in some way?! Much of the process in glycolysis seems to be about a stepwise displacement of oxygen along the C-C-chain.

2. Why 24 ams?

One reason to suspect nb-transformations could be the 4 double-coded ams, If 20 ams have to be 24, then 4 ams must be repeated (!).

$$20-10 \rightarrow 24-8$$

3. H-atoms, 152 in R-chains: and the total of R 1504:

Number of hydrogen atoms in R-chains was 152 = interval 4'-1' in the ES-series.

$$\begin{array}{ccccccc}
 292 & - & 252 & - & 208 & - & 159 & - & 100 & - & 0 \\
 & & \text{---|<-44-><|---} & & 108 & \text{--->|} & & & & &
 \end{array}$$

This interval is divided 4'-3' = 44 and 3'-1' = 108: Transformed from nb-16 to nb-6 they give total Z-numbers of R-chains and N-numbers separately:

Fig 18-2: H-atoms:

$$\begin{aligned}
 44_{16} &\rightarrow 152_6 = \mathbf{H} \text{ in R-chains} \\
 152 &< > 828 = \mathbf{total Z} \text{ in R-chains} \\
 108_{16} &\rightarrow 676_6 = \mathbf{N} \text{ in R-chains}
 \end{aligned}$$

Steps 44 \rightarrow 152 = + 108

Step 108 \rightarrow 676 = + 568... This sum is also = 676 = Z (or N) of atoms C, N, O, S.

Cf. 676 = 26² and the 2x²-chain, file 13.

4. N-numbers in codon-groups of ams may lead to totals of ams:

Fig. 18-3: Neutron numbers to totals

	10-base	8-base	
G1: N	86	\rightarrow 126	
C1: N	158	236	
U1: N	213	325	
A1: N	219	333...	Σ 1020, \sim 1018 = 2 x 4 code bases in 10-base system
			\downarrow
$\downarrow \rightarrow$ 1018 \rightarrow 1772			= 1772 = 24 B-chains
G2: N	187	\rightarrow 273	
C2: N	58	72	
U2: N	190	276	
A2: N	241	361...	Σ 982 = 2 x 491
			\downarrow
$\downarrow \rightarrow$ 491 \rightarrow 753, x 2			= 1506 = 24 R-chains + 2H*
* 2 x 491: 982 \rightarrow 1726			
			\downarrow
$\downarrow \rightarrow$ 1726 \rightarrow 3276			= 3276 = 24 ams R + B

- 491₈ \sim 511 \sim 509 re-written, sum of 4 RNA-bases.
- (982 re-written = 1202, + 1018 = 2220 (nb-8). = 490 in nb-16.
- 490 in nb-16 = 1168 in nb-10 = 4 x 292 in the exponent series, = 4 x Inosine + 4 x Orotate, = the sum of ams with 3rd base A/G (A or G) or U/C +1.)

5. Number of C-atoms in R-chains as basis for divisions:

In file 04, para. 3, the ams were ordered after number of C-atoms in their R-chains and their mass summed. This division did not concern codon distribution but seemed related to the ES-series with certain assumptions. Here C for carbon. (8 ams with 4 C in R-chains got the sum 584 2 x 292.)

Phe and Tyr are synthesized as 3C- plus 4C-molecules, hence positioned between 4C- and 3C-groups. Trp as 3C + 4C + 5C - 1C. Trp gets its B-chain from Ser, shares codon with Cys and can brake down to Ala, hence here regarded as "meeting the other way around", added to the 1 C group.

Fig. 18-4a: Transformations along the ES-chain as a nxC-chain:

$$\begin{array}{rcccl}
 & & C7 & & \\
 & / & & \backslash & \\
 C4 & & & C3 + C0 & C2 & C1 & + C9 = Trp \\
 \hline
 584 & 198 & 306 & 162 & 124 & +130 \\
 \hline
 584 & & 504 & & 286 & \\
 \hline
 2 \times 544 & & & & 2 \times 208 & \\
 1088 & & & & 416 & \\
 \\
 \underline{584} & = & \underline{1088} = 584 + 198 + 306 & & & \\
 10\text{-base} \longrightarrow 8\text{-base} & & & & & \\
 \\
 \underline{198} & = & \underline{306} & & & \\
 10\text{-base} \longrightarrow 8\text{-base} & & & & & \\
 \\
 \underline{306} & \sim & \underline{286} \text{ (re-written)} & & & \\
 8\text{-base} & & 8\text{-base} & & & \\
 \\
 \underline{286} & = 436 = 306 + 130 \text{ (Trp)} & & & & \\
 10\text{-base} \longrightarrow 8\text{-base} & & & & & \\
 \downarrow & & & & & \\
 C2 & 162 & = & 242 & & \\
 C1 & 124 & = & + 174 & = & 416 \\
 10\text{-base} \longrightarrow 8\text{-base} & & & & & \\
 & & & & & = 286 + 130 \text{ (Trp)} \\
 \\
 \underline{174} & \longrightarrow 256 = 124 + 130 + 2H & & & & \\
 10\text{-base} \longrightarrow 8\text{-base} & & & & &
 \end{array}$$

Fig. 18-4b: Cf. triplet sums, file 15, numbers 714 and 792:

$$\begin{array}{rcccl}
 & & C7 & & \\
 & / & & \backslash & \\
 C4 & & & C3 + C0 & C2 & C1 & + C9 \\
 \hline
 584 & 198 & 306 & 162 & 124 & +130 \text{ (Trp)} \\
 \hline
 | & & 790 \sim C1 + U2 & & & | \quad (C \text{ here for amc groups}) \\
 | & & 714 \sim C1 + A2 & & & |
 \end{array}$$

Fig. 18-4c: nx C-atoms - three more details:

The Exponent series:

$$\begin{array}{cccccc}
 \text{"5"} & \text{"4"} & \text{"3"} & \text{"2"} & & \text{"1"} \\
 \hline
 292 & 252 & 208 & 159/158 & & 100 \\
 | & & & & & | \\
 544 & \leftarrow & \text{286} & \rightarrow & 258(+1) & \\
 & & = C2 + C1 & & & \\
 & & | & & & | \\
 & & \text{467 (208 + 259)} & & & \\
 & & = C3 + C2 & \rightarrow & = 305 + 162 &
 \end{array}$$

Different intervals in transformations through re-writings:

$$\begin{array}{ccc}
 \text{10-base} & & \text{8-base} \\
 584 \rightarrow 1088 \sim | \sim 890 & & \\
 | & & \\
 C7 = 198 \text{ out of re-writing} & & \\
 \\
 584 & \leftarrow & | \rightarrow 890 \\
 & & 306 = C3 + C0
 \end{array}$$

Trp:

$$\begin{array}{ccc}
 \text{Interval:} & 504 & \leftarrow | \rightarrow 416 \\
 & | & \\
 & 88 & \rightarrow 130 \text{ Trp} \\
 \text{10-base} & & \text{8-base}
 \end{array}$$

6. B-chains:

6.1 Number 752, sum of first 3 numbers in the ES-chain:

752 from nb-16 to nb-10 gives the total **1772** of 24 B-chains unbound:

$$292-16 \rightarrow 658-10$$

$$252-16 \rightarrow 594-10$$

$$208-16 \rightarrow 520-10 \dots \text{sum } 1772, 24 \text{ B-chains unbound}$$

Cf. that 752: nb-10 gave **2848** in nb-6, i.e., R+B-chains of 24 ams bound:

Fig. 18-5:

$$\begin{array}{ccc}
 \text{nb-16} & & \text{nb-10} \\
 \frac{1}{2} \times 752: 376 \rightarrow 886, & \times 2 = 1772, & \text{24 unbound B-chains}
 \end{array}$$

6.2 A single, unbound B-chain = 74:

Two sets of the 4 RNA-bases, sum 1018, gave in nb-8 the sum of 24 B-chains unbound = 1772. A single unbound B-chain à 74 gives the sum of 2 bound B-chains.

Fig 18-6: *From one unbound B-chain to two bound ones:*

$$\begin{array}{ccc} \text{nb-10} & & \text{nb-8} \\ 74 & \longrightarrow & 112 = 2 \times 56 = 2 \text{ B-chains bound} \end{array}$$

Cf. U-base = 112 A and exchange T to U in mRNA for synthesis.

6.3 Halvings of 2 x 5' 584 transformed to unbound and bound B-chains:**Fig. 18-7:** *From number 5' in the ES-chain to B-chains in groups of 6:*

$$\begin{array}{rcl} & \text{nb-10} & \text{nb-8} \\ 2 \times 292: & 584 & \longrightarrow 1088 \sim 888 \times 2 = 1776 = 24 \text{ B-chains à } 74 \text{ A} \\ & 292 & \longrightarrow 444 = 6 \text{ B-chains à } 74 \text{ A} \\ 292, \times \frac{1}{2}: & 146 & \longrightarrow 222 = 3 \text{ B-chains unbound à } 74 \text{ A} \\ & \downarrow & \downarrow \\ & 222 & \longrightarrow 336 = 6 \text{ B-chains bound à } 56 \text{ A} \end{array}$$

6.4 Total B-chains unbound times 2 from the 4 bases:**Fig. 18-8:**

	<u>10-base</u>	<u>8-base</u>	
4 G	604	1134	
4 C	444	674...sum 1808 ~1810	
			> 3544 = 2 x 1772, B-chains
4 U	448	700	
4 A	540	1034...sum	1734

6.5 Total of bound B-chains = 1344 from the bases:

Fig. 18-9:

<u>10-base</u>	←	<u>8-base</u>		
194		302	2 x G	2 x RNA-bases read as 8-base numbers
184		270	2 x A	
146		222	2 x C	
+ 148		224	2 x U	
672	→			x 2 = 1344, = 24 B-chains bound

388	←	604	4 x G	
+ 352	←	540	4 x A	
= 740	→	1344		= 24 B-chains bound

<u>10-base</u>	←	<u>8-base</u>		<u>6-base</u>	
352		540	4 x A-base		
↓					
352	→			1344	= 24 B-chains bound

4 x A:	<u>16-base</u>	→	<u>10-base</u>	
	540		1344	= 24 B-chains bound

6.6 Inosine 136 in repeated steps gives B-chains bound or unbound:

Inosine or Hypoxanthine 136 A (1/4 x 544) may give both B-chain numbers 1344 and 1772 bound and unbound through 4 steps of transformations:

Fig. 18-10:

<u>10-base - 8-base</u>
136 → 208

<u>10-base - 8-base</u>	/	<u>10-base - 8-base</u>	/	<u>10-base - 8-base</u>	/	<u>10-base - 8-base</u>
208 → 320		320 → 500 ~ 480		480 → 740		740 → 1344

<u>10-base - 6-base</u>	/	<u>10-base - 8-base</u>	/	<u>10-base - 8-base</u>	/	<u>10-base - 8-base</u>
136 → 344		344 → 530 ~ 528		528 → 1020 ~ 1018		1018 → 1772*

*Note that without rewritings 530 ~ 528 and 1020 ~ 1018 we get 1776 (24 x 74 A).

7. Displacements between 1st and 2nd base order: Numbers 220 - 26:

7.1 Relations between displacements 220 and 26:

Fig. 18-11:

Arms groups R:

$$G1 + A1 \xrightarrow{+246} G2 + A2$$

$$C1 + U1 \xrightarrow{-246} C2 + U2$$

$$G1 \rightarrow G2 = 220, \quad C1 \rightarrow C2 = -220 \quad \text{G+C-coded arms} = 544.$$

$$A1 \rightarrow A2 = 26, \quad U1 \rightarrow U2 = -26 \quad \text{A+U-coded arms} = 544 + 2 \times 208$$

$220 - 26 = 194$, the difference ± 2 in the division of number 416 in the exponent series, (A+U) - (G+C): $(A1 - G1) - (U1 - C1) = 194 - 2 = 306 - 110$.

$$(A2 - G2) - (U2 - C2) = 194 - 2 = -112 + 304.$$

$194 = 2 \times 97$; an H_2PO_4^- -group. 194 also a charged ribose-P-group in nucleotides.

Fig 18-12:

Number 220 divided $N = 100$ (101), $Z = 120$ (119) in G-C-group
 $N = 23$ (22), $Z = 3$ (4) in A-U-group.

G+C-group,	10-base	8-base / 10-base	8-base:
N 100 to 220:	100	$\xrightarrow{+144}$ 144	144 $\xrightarrow{+144}$ 220
	\rightarrow displacement = Z-number 120 \leftarrow .		

The relations between displacement 220 in the G+C-group and 26 in the U+A-group could be explained through only a minus 1 in N- and Z parts and the results in nb-8 through transformations.

Regard number 144 in figure 18-11 above divided in 64 and 80:

Fig. 18-13: How the displacement 220 and 26 could be explained through -1:

	10-base	8-base	
	64	100 N	$100 \text{ N} = \text{N: } C1 \rightarrow C2, +1 = G2 \rightarrow G1$ (101)
	-1	$\rightarrow 23 \text{ N}$	$23 \text{ N} = \text{N: } U1 \rightarrow U2, -1 = A1 \rightarrow A2$ (22)
	63	77	
144			
	80	120 Z	$120 \text{ Z} = \text{Z: } C1 \rightarrow C2, -1 = G2 \rightarrow G1$ (119)
	-1	$\rightarrow 3 \text{ Z}$	$3 \text{ Z} = \text{Z: } U1 \rightarrow U2, +1 = A1 \rightarrow A2$ (4)
	79	117 Z	
A1 - A2: N 22, Z 4:			
	10-base		8-base
	N 22	$\xleftarrow{+4}$	26 N+Z
		4	

Fig. 18-14:

$$\text{HPO}_2 = 64, \quad \text{PO}_2 \sim = 63, \quad \text{HPO}_3^- \sim = 80, \quad \text{PO}_3 \sim = 79.$$

$$64 + 80 = 144 = 220 \text{ in nb-8. } 77 + 117 = \text{number } 194. \quad 220 - 194 = -26.$$

7.2 The number 220 in displacements in group G+C:

Fig. 18-15:

Number 220: = $G1 \rightarrow G2$, $C1 \leftarrow C2$, connected with the sum of ams $G+C$ 544:
In relation to numbers of the exponent series:

$$\begin{array}{ccc} \text{16-base} & \text{10-base} & \text{6-base} \\ 220 & \longleftrightarrow & 544 = 292 + 252 \quad 1040 = 5 \times 208 \\ & & 292 \\ & \text{--- } 84 & \longrightarrow 220 = 5 \times 44, \text{ the interval } 252 - 208. \\ & 208 & \longrightarrow 544 \end{array}$$

220 in nb-16: a transition version or reference for the G+C-guided groups 544 between 1st and 2nd base order?

$$\begin{array}{l} 544 + 220 = 764 = C1 + G2 = 353 + 411, \text{ difference } 58 \\ 544 - 220 = 324 = G1 + C2 = 191 + 133, \text{ - " - } 58 \end{array}$$

220 in nb-6: representing interval 84 (plus/minus) in the other context where number 544 is received in nb-6, from 208 in nb-10.

A note: Could different divisions of number 544 towards lower numbers in the exponent series be connected with different number base systems? For instance:

$$\begin{array}{l} 544 \text{ divided } 292 - 252 = \text{"5"} - \text{"4"} \\ 544 - \text{" - } 336 - 208 = (\text{"5"} + 4 - 3) - \text{"3"} \\ 544 - \text{" - } 177 - 367 = (\text{"5"} + 4) - (\text{"3"} + 2) - (\text{"3"} + 2) \end{array}$$

$$\begin{array}{ccc} \text{10-base} & & \text{8-base} \\ 101 & \text{--- } 44 & \longrightarrow 145 \\ G1 = 292 - 101 & & 336 - 145 = 191 = G1 \\ C1 = 252 + 101 & & 208 + 145 = 353 = C1 \end{array}$$

$$\begin{array}{l} \text{Number 220 as a nb-6 number:} \\ \text{6-base} \\ 220 \sim 176: \quad G1 = 367 - 176 = 191 \\ \text{re-writing} \quad C1 = 177 + 176 = 353 \end{array}$$

Or: In 2nd base order, using the interval 44 in the transformation nb-10 — nb-8 above? The 3rd division of number 544 in the exponent series: 177 — 367:

$$\begin{array}{l} (\text{"5"} + 4) - (\text{"3"} + 2) = 177, - 44 = 133 = C2, \\ (\text{"3"} + 2) = 367, + 44 = 411 = G2 \end{array} \quad (?)$$

8. The 4 double-coded ams, sum = 246

The sum of R-chains of the 4 ams with two different codons are "also" 246, i.e., the sum of displacements 220 and 26 above.

All 4 may become 37 in different nb-systems.

Fig. 18-16:

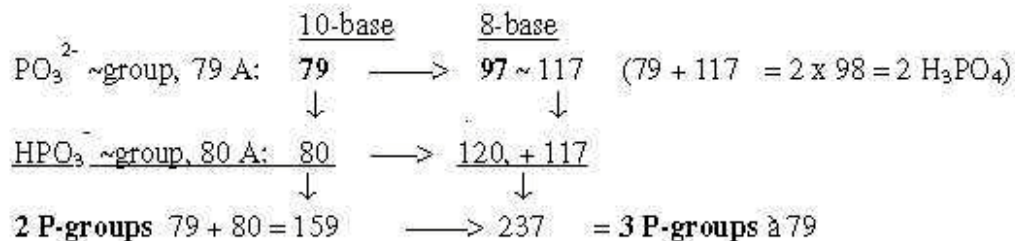
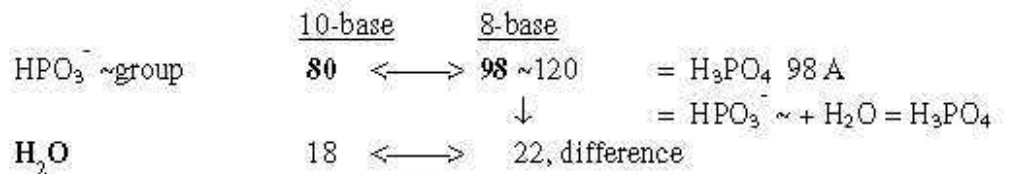
$$\begin{array}{ccc} \text{10-base} & \text{8-base} & \\ \text{Arg AG } 101 & \longrightarrow & 145 = \text{Ser } 31 + \text{Leu } 57 + \text{Ile } 57 \\ \\ \text{10-base} & \text{8-base} & \text{10-base} & \text{6-base} \\ \text{Arg AG} & & 37 & \longleftarrow 101 \sim 57 \\ \text{Ser AG} & 31 \longleftrightarrow & 37 & 37 \longleftrightarrow \sim 57 = \text{Leu2, Ile2 in nb-10} \end{array}$$

19- P- phosphorous groups - Coenzymes - Nucleotides - Met AUG

1. P-groups, the single, "inorganic" phosphorous groups:

Fig 19-1: P-groups:

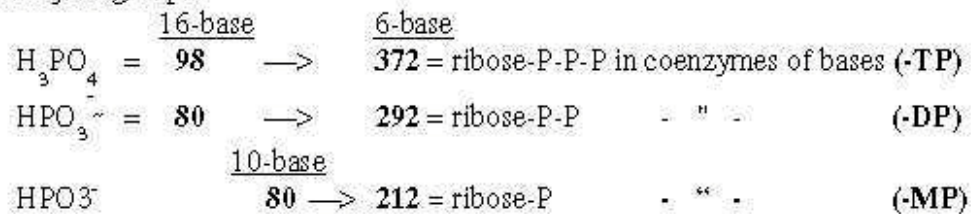
a. H_2PO_4^- ~group, 97 A, PO_3^{2-} ~group, 79 A, HPO_3^- ~group = 80 A



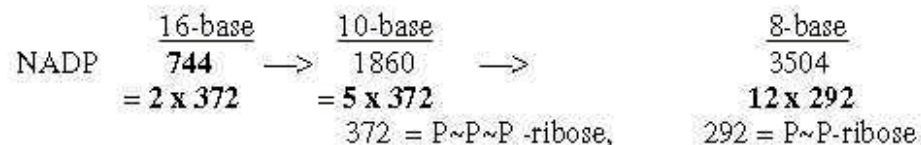
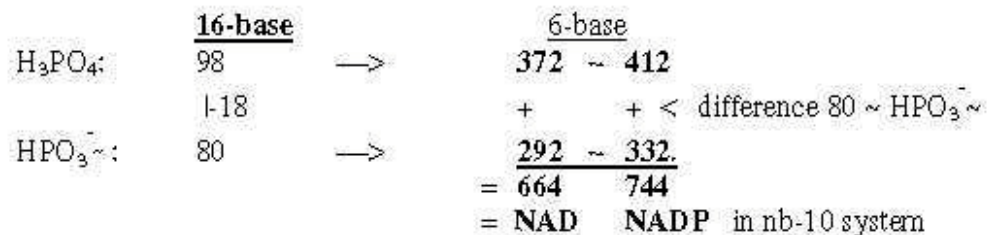
(Energy storing in the bindings.)

$$\frac{8\text{-base}}{79 \sim 81} = +2 \text{ H}$$

b. Coenzyme groups:



c. NAD (664 A) - NADP (744 A) from P-groups:



d. The exponent series:
interval "3 - 2" = $\frac{10\text{-base}}{49} \longrightarrow \frac{6\text{-base}}{81} = \text{H}_2\text{PO}_3^-$

A form of life was found some years ago, said to use arsenic instead of phosphorus (P), i. e. next higher element in the phosphorus group of elements in the periodic system. If so, it could of course lead to the conclusion that all such transformations between

masses including phosphorus are irrelevant and in any case no necessary condition for life as an eventual part of a reference system.

Yet, phosphorus could have had a decisive role at the very creation of the genetic code, while this not excludes further evolution?

2. Coenzymes of the bases, -MP, -DP, -TP:

2.1 Tables of masses of the coenzymes

Fig. 19-2: Survey

Survey of mass numbers (A) in base-10 system:

4 - 5 code bases, mass numbers, including +1 for bond to ribose:

G 151, A 135, U 112, C 111...Σ 509, +T 126...Σ 635

Sum of 2 x 24 bases, 1st and 2nd in the codons:

15 A + 13 U + 11 G + 9 C = 6141

Coenzymes of the code bases:

<u>-TP</u>		<u>-DP</u>		<u>-MP</u>	
GTP	523	GDP	443	GMP	363
ATP	507	ADP	427	AMP	347
UTP	484	UDP	404	UMP	324
CTP	483	CDP	403	CMP	323
	1997		1677		1357
TTP	498	TDP	418	TMP	338
=	2495		2095		1695

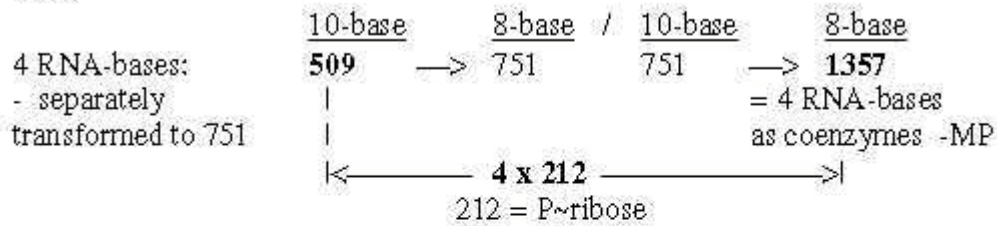
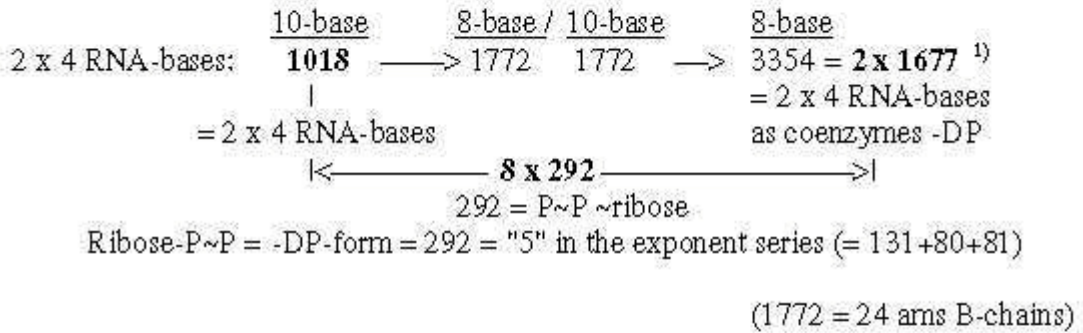
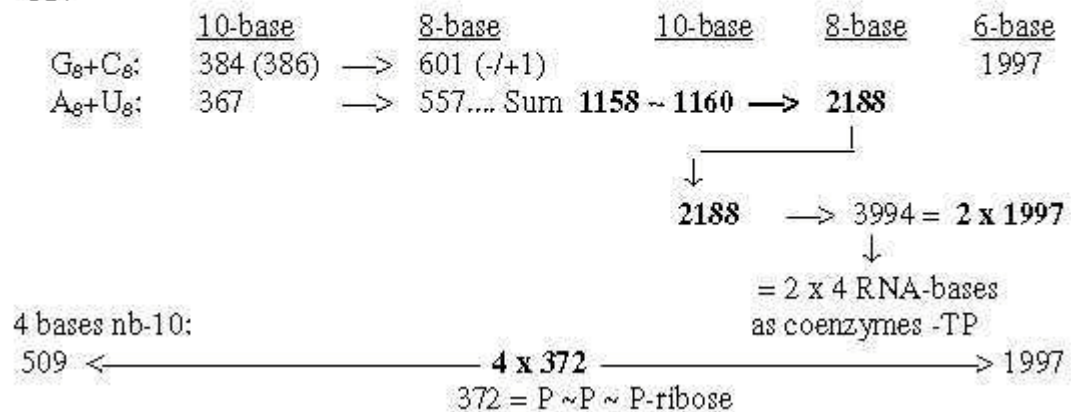
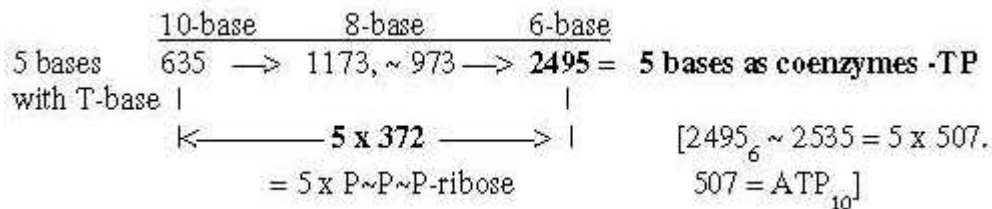
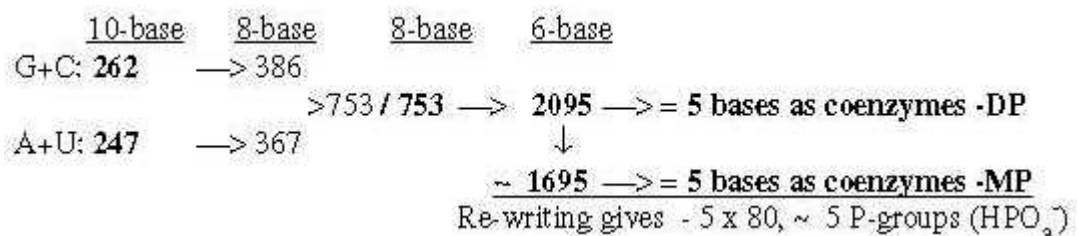
2.2 From 4 bases to their mass as coenzymes

Fig 19-3: 509 - 1357, 4 coenzymes -MP:

4 RNA-bases	<u>10-base</u>	<u>8-base</u>	<u>6-base</u>	
G	151	227	411	411
C	111	157	303	~ 263
A	135	207	343	343
U	112	160	304	~ 264
	509	751	1361	1281
	↓	↓	~ 1357	↓
	751	1357		= 4 RNA-nucleotides
		↓		charged -1.
		(4 coenzymes RNA, -MP)		

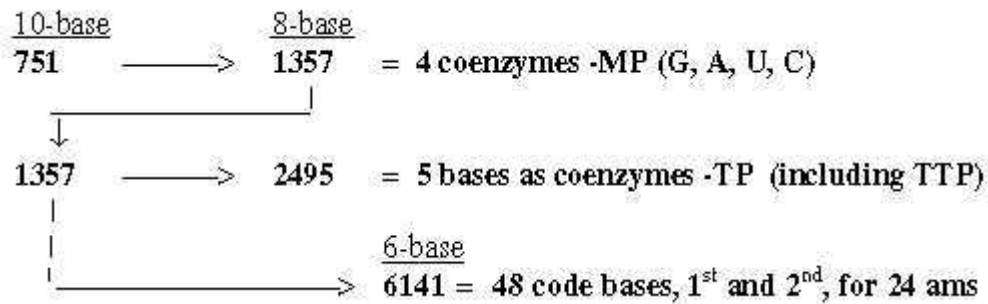
2.3 Expansion of bases nb-10 to nb-8 adds the Px-ribose groups:

Some transformations from sums of the bases to sums of their appearance as coenzymes are shown in figures below. Note expansions where 212-292-372 correspond to the P(P(P)-ribose groups:

Fig. 19-4: From the bases to coenzymes -MP, -DP, -TP**-MP:****-DP****-TP:****2.4 5 bases to 5 coenzymes -TP:****Fig. 19-5:****2.5 4 RNA-bases giving 5 coenzymes -DP-MP in nb-6:****Fig. 19-6:**

**2.6 From 751, the sum of 4 bases in nb-8,
to 5 bases as coenzymes -TP and to 6141, the sum of 48 codon bases:**

Fig. 19-7:



$$6141 = 15 \text{ A} + 13 \text{ U} + 11 \text{ G} + 9 \text{ C} :$$

3. Nucleotides:

3.1 Survey of nucleotides in chain binding:

Fig 19-8:

Nucleotides in chain binding:

RNA: G 345, A 329, U 306, C 305... Σ **1285**, ionized -1 in P-groups = **1281**
 cGMP = 345, cAMP = 329
DNA: G 329, A 313, T 304, C 289... Σ **1235**, ionized -1 in P-groups = **1231**

3,2 Two sets of the nucleotides from 2 sets of the bases (from file 17):

The four RNA-nucleotides in chain-binding and uncharged = 345, 329, 306 and 305 = **1285**.

The four DNA-nucleotides (= 1285 - 4 x 16 + 14 in T-base) = **1235**.

Two sets of RNA-nucleotides are given from 2 times G- and C-bases in three steps nb-10 \rightarrow 8, as two sets of DNA-nucleotides from 2 times A- and U-base:

$$2\text{G} + 2\text{C} = 768 \text{ in nb-8:}$$

$$768-10 \rightarrow 1400-8 / 1400-10 \rightarrow 2570-8 = 2 \times 1285 \sim \text{RNA-nucleotides}$$

$$2\text{U} + 2\text{A} = 734 \text{ in nb-8:}$$

$$734-10 \rightarrow 1336-8 / 1336-10 \rightarrow 2470-8 = 2 \times 1235 \sim \text{DNA-nucleotides}$$

3.3 ES-number 752 gives in two steps the sum of 4 nucleotides in DNA and RNA:

Fig 19-9:

Nucleotides, 4 DNA 1235 + 4 RNA 1285 = 2520:

$$\begin{array}{rclcl}
 & \text{10-base} & & \text{8-base} & \\
 4 \text{ bses in nb-8:} & \underline{752} & \longrightarrow & \underline{1360} & \\
 751/753 & & & & (5 \times 272 \text{ from the exponent series}) \\
 & \downarrow & & & \\
 & \underline{1360} & \longrightarrow & \underline{2520} & = 1285 + 1235
 \end{array}$$

3.4 The 4 bound RNA-bases in nb-16 gives the 4 RNA-nucleotides in nb-10:

Fig. 19-10:

$$\begin{array}{rclcl}
 4 \text{ RNA-bases} & & \text{16-base} & & \text{10-base} \\
 \text{bound} & = & \underline{505} & \leftarrow \text{---} \rightarrow & \underline{1285} = 4 \text{ RNA-nucleotides, not ionized} \\
 & & \downarrow & & \\
 & & 780 = \underline{4 \times 195} & & \\
 & & \downarrow & & \\
 & & \text{P-ribose-groups in chain bindings: ribose 131 + HPO}_2 \sim 64. & &
 \end{array}$$

3.5 Bases read as nb-8-numbers, giving cGMP and cAMP in nb-10:

Fig. 19-11: *cGMP* - *cAMP*:

$$\begin{array}{rclcl}
 & \text{10-base} & & \text{8-base} & \\
 167 & \longleftarrow & & 247 & \text{A+U} \\
 178 & & & 262 & \text{G+C} \\
 & \underline{345} & & \underline{509} & \quad \quad \quad \underline{345 = cGMP = G-nucleotide} \\
 < 674^* & & & & \\
 & \underline{329} & \longleftarrow & 509 & \quad \quad \quad \underline{329 = cAMP = A-nucleotide} \\
 & \text{10-base} & & \text{6-base} & \\
 * \text{Base pair: } & \underline{262} & \longrightarrow & \underline{674} & = 2/3 \times 1011, \text{ sum of exponent series.} \\
 & & & & (674 \text{ also the number of atoms in } 2 \times 24 \text{ codon bases, } 1^{\text{st}} \text{ and } 2^{\text{nd}}, \text{ in the codons.})
 \end{array}$$

4. Met - codon AUG and tRNA-ends ACC:

AUG, the codon for Meth, leads the string at transcriptions from DNA. Chain-bound nucleotides AUG, transformed from nb-10 to nb-8 give the whole sum of 24 ams R, 1504. There is also the equivalence between the 4 bases 509 in nb-8, the A-nucleotide 329 in nb-10 and Meth 149 (R+B) in nb-16,

Fig 19-12: AUG, codon for Meth:

a. Meth as a kind of reference - or the opposite, the bases a reference to Meth?

$$\begin{array}{c} \text{16-base} \\ 149 = \text{Meth, R+B} \end{array} \longrightarrow \begin{array}{c} \text{8-base} \\ 509 \end{array} = 4 \text{ RNA-bases in base-10 system}$$

$$\begin{array}{c} \text{16-base} \\ 149 \end{array} \longrightarrow \begin{array}{c} \text{10-base} \\ 329 \end{array} = \text{cAMP, also = A-nucleotide}$$

The exponent series:

$$\begin{array}{c} \text{16-base} \\ "5" = 292 \end{array} \longrightarrow \begin{array}{c} \text{10-base} \\ 658 \end{array} = 2 \times 329 (\sim \text{cAMP})$$

b. A-U-G-nucleotides separately transformed:

	<u>10-base</u>	<u>8-base</u>	<u>The "triplet series"</u>
Nucleotides:	329 A	511 ~ 509 (4 RNA-bases)	543-432-321-210:
	306 U	462.....Σ. 973	= 543 + 432 - 2
	345 G	531..... 531	= 321 + 210
	= 1504	= 24 ams R	

A+U+G: the mass numbers of the bases interpreted as base-8 numbers:

<u>10-base:</u>	<u>8-base:</u>	
93 <—	135: A	
74 <—	112: U	
+ 105 <—	151: G	
= 272 <—	398	272 = ½ x 544, "5" + "4" in the exponent series

5. A-C-C - ends of tRNA:

A-C-C make up the common ends of tRNAs and one may ask why? The three bases (as unbound) give the sum 544 -/+1, the sum 5' + 4', 292 + 252 in the ES-series, when transformed in nb-8.

Fig 19-13: tRNA-ends ACC:

c. ACC-ends of tRNAs:

	<u>nb-10</u>	<u>nb-8</u>	
A+C+C-bases:	357	→	544 + 1
			ES-series
A	135	→	207 = 208 - 1
or ACC: <			> 544 - 1
2 C	222	→	356 = 544 - 208

Cf. mass numbers for A and C from Triplets, file 21;

012 + 123 = 135 (A-base), + 234 = 357. Two of the intervals in the steps = 2 x 111 (2 x C-base).

20. Additions to files 17 - 18

1. Rewritings

1.1 Rewriting G - C:

G- and C-bases transformed further to nb-6 becomes sums in later steps of the ES-chain, through rewritings, implying -44:

Fig. 20-1:

$$\begin{array}{ccccccc}
 & 544 & & 460 & & 367 & & 259 \\
 & / & & \backslash / & & \backslash / & & \backslash \\
 292 & & 252 & & 208 & & 159/158 & & 100 & & 0
 \end{array}$$

$$\begin{array}{lcl}
 \text{G-base} & \xrightarrow{10\text{-base}} 151 & = 411^* \sim 367 \text{ "3 + 2" re-written (367 = A}_8 + \text{U}_8) \\
 & & \quad \quad \quad | -108 \\
 \text{C-base} & 111 & = 303^* \sim 259 \text{ "2 + 1" re-written}
 \end{array}$$

*411 = sum of G2-coded ams.

Cf. 44 = the interval $252 - 208 = 4' - 3'$. $G1 + C1 = 544$ divided 177 + 367:

$$C2 = 177 - 44 = 133$$

$$G2 = 367 + 44 = 411$$

1.2 Number 65 - 101 - 81, bases and codon-grouped ams:

Fig. 20-2:

$$\begin{array}{l}
 292 - 101 = 191 = G1\text{-coded ams R} \\
 252 + 101 = 353 = C1\text{-coded ams R} \\
 \downarrow \\
 \begin{array}{ccccccc}
 & \xrightarrow{16\text{-base}} 65 & \longrightarrow & \xrightarrow{10\text{-base}} 101 & \xrightarrow{8\text{-base}} & & \xrightarrow{6\text{-base}} \\
 & & & 65 & \longrightarrow & 101 \sim 81 \text{ re-written}^* & \rightarrow 145 \\
 & & & & & & \downarrow \\
 292 - 65 = 227 = G_8 & & 272 - 65 = 207 = A_8 & & (207 + 2 \times 145 = A1) \\
 + 252 + 65 = 317 = C_8 + U_8 & + 272 + 65 = 337 = (U+C)_8 & & (317 + 145 = U1 -1) \\
 = 544 & = 544 & & 317 = U_8 + C_8
 \end{array}
 \end{array}$$

*Cf. ams-groups: $272 - 81 = 191 = G1$. $544 - 81 = 463 = U1$.
 $272 + 81 = 353 = C1$. $416 + 81 = 497 = A1$.

[U 112 and C 111 = 223, transformed together = 337-8.

Further transformed to nb-6 = 1011 = total sum of the ES-chain in nb-10..]

1.3 Simple rewriting of 2 x 5', 4', 3' in the ES-chain, taken as nb-8 numbers:

This rewriting gives closely the two sets of ams, sums of G1+G2, C+C2 etc.

$$2 \times 292_{-10} = 584, 584_{-8} \sim 604 = G1 + G2 + 2; \rightarrow 604 + 416 = 1020 = A1 + A2$$

$$2 \times 252_{-10} = 504, 504_{-8} \sim 484 = C1 + C2 - 2; \rightarrow 484 + 416 = 900 = U1 + U2$$

Fig. 20-3:

	<u>8-base</u>	\rightarrow	<u>8-base</u>	<u>Ams-groups R-chains in base-10 system</u>
2 x 292:	584	\sim	604 =	G1 + G2 + 2 (191 + 411)
2 x 252:	504	\sim	484 =	C1 + C2 - 2 (353 + 133)
2 x 208:	416	+	604 = 1020 =	A1 + A2 (497 + 523)
	416	+	484 = 900 =	U1 + U2 (463 + 437)

1.4 From A-base to 273, mean value of 2 ams R+B:

Fig. 20-4:

$$\begin{array}{ccccccc} & \text{10-base} & & \text{8-base} & & \text{10-base} & \text{8-base} \\ \text{A-base: } 135 & \rightarrow & 207, \sim 187 \text{ re-written} & 187 & \rightarrow & 273 & \times 12 = 3276 \\ & & & & & \downarrow & \\ & & & & & \text{Mean value of 2 ams R+B in base-10 system} & \end{array}$$

2. Parents of the codon bases, Inosine 136 and Orotate 156:

It was found (file 03) that the sum 292 of the parents to the base-types, when distributed to following numbers in the ES-chain, x 2, gave the codon-groups of ams C1 + U1 and G1 + A1:

Fig. 20-5:

$$\begin{array}{rcll} 292 & \text{---} & 252 & \text{---} & 208 & \text{"5-4-3" in the exponent series} \\ | & \rightarrow & + 156 & \rightarrow & + 136 & \text{Orotate and Inosine added} \\ \text{Sums:} & & \mathbf{408} & & \mathbf{344} & \\ \times 2 = & & 816 & & 688 & \\ = & & \text{C1+U1} & & \text{G1+A1} & \end{array}$$

Fig. 20-6: The nb-10 and nb-8 numbers added (!), a curious operation:

	<u>10-base</u>	<u>8-base</u>	<u>6-base</u>	<u>Mixed nb-10 + nb-8 numbers:</u>
Inosine 136	\rightarrow	208	\rightarrow 344	$\rightarrow 136 + 208 = 344, \times 2 = \mathbf{688} = \mathbf{G1+A1}$
Orotate 156	\rightarrow	234	\rightarrow 416,	$\rightarrow 156 + 234 = 390, = 408 \text{ read as nb-8,}$ $\times 2 = \mathbf{816} = \mathbf{C1+U1}$

3. Number 888 in different appearances:

Fig. 20-7:

$$888 \text{ in nb-10} = \mathbf{543} + \mathbf{345}, \text{ numbers of the triplet series} = 12 \times \text{B-chains} \rightarrow 74 \text{ A}$$

$$888 \text{ in nb-8} = \mathbf{1110}_8 = \mathbf{584} \text{ in nb-10} = 2 \times 292 \text{ in the exponent series.}$$

$$888 \text{ in nb-6} = \mathbf{344} \text{ in nb-10} = \mathbf{888} - \mathbf{544}, 344 \times 2 = \mathbf{688} = \text{ams-groups G1 + A1.}$$

$$344 \text{ in nb-6} = 136 (= \text{Inosine}) \text{ in nb-10 } (1/4 \times 544).$$

$$888 \text{ in nb-16} = \mathbf{2184}_{10} = 4 \times 546, 8 \times 273 \text{ (the mean value of 2 ams R+B = 273)}$$

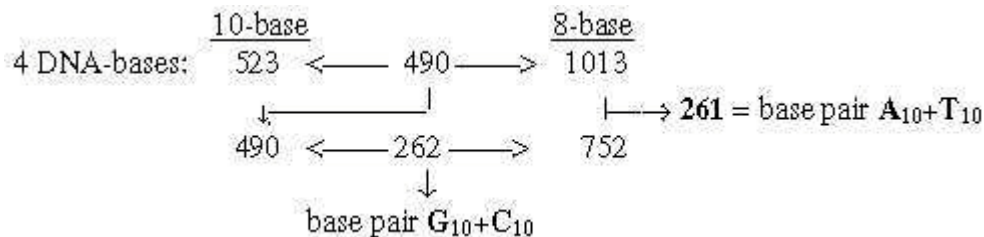
4. Difference of bases in nb-10 and nb-8, read in nb-16, gives $2 \times 272 = 544$;

Fig. 20-8:

<u>nb-8</u>	<u>nb-10</u>	<u>16-base</u>	<u>10-base</u>	<u>8-base</u>	
G:227	- 151 = 76	76	→ 118	166	
C:157	- 111 = 46	46	70	106....sum	272
U:160	- 112 = 48	48	72	110	
A:207	- 135 = 72	72	114	162....sum	272
			374		544 = 2 x 272 = 2 x (G+C) (R)

5. DNA-bases transformed give as intervals the G+C- and T+A-pairs and 752:

Fig. 20-9:



6. Sum of the whole ES-chain 1011:

6.1 N +3 and Z +3 from the ES-chain transformed separately and whole:

Fig. 20-10:

<u>10-base</u>	292	252	208	159	100	Sum = 1011
↓	↓	↓	↓	↓	↓	↓ 508~510, 509 = 4 bases
<u>8-base</u>	444	374	320	237	144	Sum = 1519 = N + 3
						> 3282*
10- to 8-base, whole sum					1011 →	= 1763 = Z + 3
					752	
					$1/2 \times 24 \text{ arms R}$	

Cf. sum 3282 and sum of triplet series in

6.2 DNA-bases as nb-6 numbers give the sum of the ES-chain:

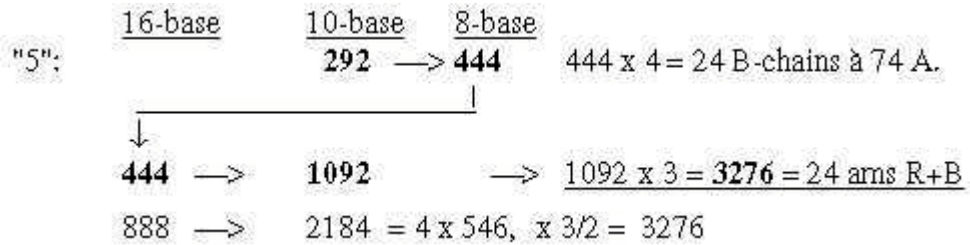
Fig. 20-11:

<u>10-base</u>	<u>6-base</u>	
67	← 151	G-base
43	← 111	C-base
59	← 135	A-base
+ 54	← 126	T-base
= 223	523	
223 →	1011	= the sum of the whole exponent series.
223 = C 111 + U 112.		

7. Totals, two mere operations

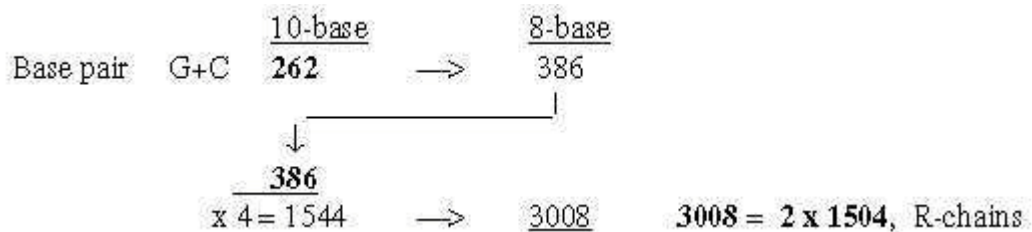
7.1 From ES-number 5' to 1/3 of the total 3276:

Fig. 20-12:



7.2 G+C-bases transformed two times give 2 times total R 1504:

Fig. 20-13:

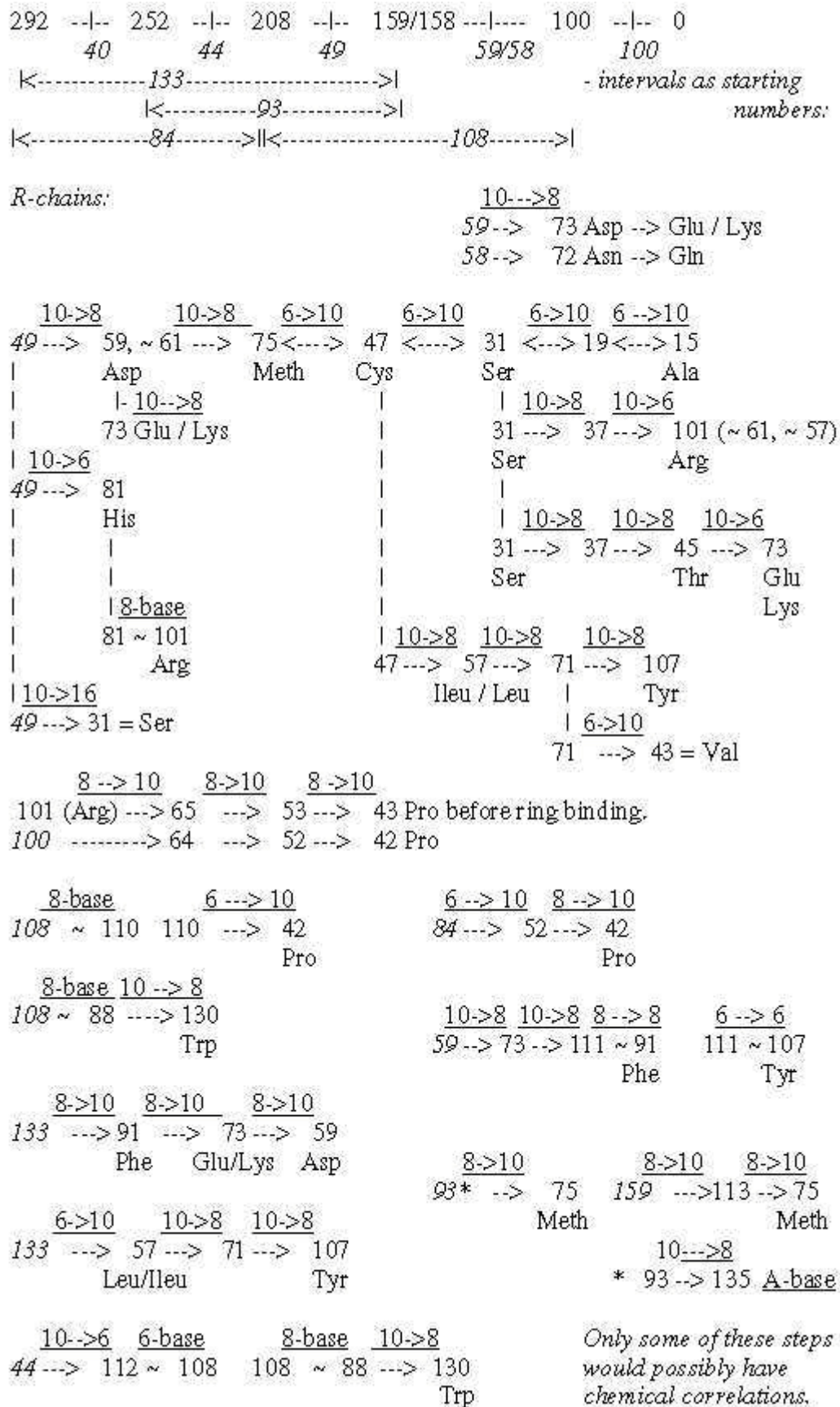


8. Individual R-chains of ams related through transformations ?

Transformations often imply additional numbers equivalent with molecules, as e. g. plus CH₂. There are formally of course a lot of transformations possible between individual ams, only some of which may correspond to biochemical relations. Some examples are shown in the figure below, here regarding R-chains:

It could be added that all four ams with double codons may transformed get the number 37: Ser AG 31-10 = 37-8, Arg AG 101-6 = 37-10, Ile and Leu 57-6 = 101-6 = 37-10, (file 18, para. 8).

Fig 20-14:



21. I. Triplet series — II. An alternative series 151-111

I. The triplet series

I. Triplet series; intervals outwards - inwards:

1.1 Triplet chains in nb-8, transformed to nb-10:

The triplets as 4 numbers in two series, outwards and inwards (as 543-345, 432-234 etc., treated as nb-8-numbers, give in pairs in nb-10 sums **4 x 146, 3 x 146, 2 x 146, 1 x 146**, the total 5 times 292 = 5' in the ES-chain.

Intervals in nb-10 "outwards - inwards" = **126**, $\frac{1}{2} \times 252$ (4').

Fig. 21-1:

<u>8-base</u>		<u>10-base</u>		<u>Sums</u>		<u>10-base</u>		<u>8-base</u>
345	→	229		→ 4 x 146	←	355	←	543
234		156		→ 3 x 146	←	282		432
123		<u>83</u>		→ 2 x 146	←	<u>209</u>		321
<u>012</u>		10		→ 1 x 146	←	<u>136</u>		<u>210</u>
714		478				982		1506

982 = 2 x 491: 491-10 → 753-8 But 478-10 → **736-8** .

Triplets read "inwards" approximate the 734-group of ams in middle of the ES-chain, hypothetically representing an inward direction in relation to the 770-group as outward directed.

Cf. for 982 file 18, figure 18-3 and for directions file 14, para 3, figure 14-2.

Fig. 21-2: Number 982:

<u>10-base</u>		<u>8-base</u>	
355	←	543	
282		432	
209		321	
<u>136.....982</u>		<u>210</u>	
982	→	1726	= 1506 + 220
		↓	
↓			
1726	→	3276, total sum 24 ams R+B, unbound	

1.2 Codon bases read as nb-8-numbers give sums triplets in nb-10:

Fig. 21-3:

4 DNA-bases			4 RNA-bases:		
	10-base	8-base		10-base	8-base:
G	105	← 151	G	105	← 151
C	73	111	C	73	111
T	86	126	U	74	112
A	93	135	A	93	135
Sum:	357	523		345	509

Triplet series "inwards"		
4 RNA-bases →	345	= 345 , + <u>012</u> = 357 → DNA
4 DNA-bases →	357	= - 234
		123
		<u>012</u> —

2. Sums 1506 - 714 and intervals 792:

Fig. 21-4:

The Triplet chain "outwards" - "inwards":

543	345
432...975	234
321	123
<u>210...531</u>	<u>012</u>
1506 ← ———→	714
	792
<u>10-base</u>	<u>8-base</u>
792 →	1428 = 2 x 714

Fig. 21-5: Total sum of R for 24 ams, sum 1506 -2 from 2 x 4 bases:

	10-base	8-base
2 G	302	→ 456
2 C	222	336... 792
2 x U	112 x 2	→ 160 x 2 = 320, ~318
2 x A	135 x 2	207 x 2 = 414, ~394...sum 714 , ... 712

3. Number n x 273 from codon bases:, two other transformations:

273, the mean value of 2 ams R+B unbound:

nb-16 nb-10

C-base: **111** → **273**

The triplet chain with intervals **111**: 543 - 432 - 321 - 210:

$$210-10 \rightarrow 546-6 = 2 \times 273.$$

From file 20: Number $n \times 111$, the intervals in the triplet steps:

Fig. 21-6:

<u>16-base</u>		<u>10-base</u>	
975	→	2421	
1506 < - 444		—	1092, $\times 3 = 3276 = 24 \text{ ams R+B}$
531	→	1329	
Compare: 666	→	1638	$\times 2 = 3276 = 24 \text{ ams R+B}$

4. The triplet series and number 1875:

Pairs of the triplets = 753 transformed as a number in nb-16 gives 1875 in nb-10.

All 4 triplets separately transformed, see figure below, give $n \times 273$ as the differences.

Fig 21-7: Number 1875:

$543_{16} \rightarrow 1347_{10}$	
$432_{16} \rightarrow 1074_{10}$	
753 <	>1875
$321_{16} \rightarrow 801_{10}$	
$210_{16} \rightarrow 528_{10}$	

Intervals $1347 - 528 = 3 \times 273 = 819$, $\times 4 = 3276$, total R+B of 24 ams.

The sums (pair wise added) reminds of the second spectral line of hydrogen from Balmer series, mentioned in *Introduction*: Formula $1/2^2 - 1/4^2 = 0,1875$. Cf. 210 and spectral line 0,21 (!).

Two other operations give relations between sums and intervals:

$$^{10}\log 1,875 \approx 0,273 \text{ 00...}$$

$$187,5^{2/3} \times 100 = 3275,93 \approx 3276, \text{ total of 24 ams R+B}$$

$[1/4 \times \text{ES-chain numbers} = 73 - 63 - 52 - 39.75 - 25,$
with exponent $3/2 = 623.7 - 375 - 500 - 250.6 - 125$: sum ~ 1875 (1874.32.)

Note: $63 \times 52 = 3276$, total sum of 24 ams R+B. Cf “quark numbers” (in “17 short files”)

$$15/8 = \underline{5 \times 3 \times 1} / \underline{4 \times 2} = 1.875$$

$$24 \text{ ams R+B} = 3276 = \underline{409} \times 8.01.$$

$$48 \text{ codon bases (1}^{\text{st}} \text{ nd } 2^{\text{nd}}) = 6141 = \underline{409} \times 15.01.$$

II. An alternative numeral series

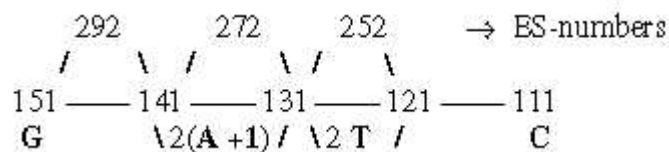
Another series, from G- to C-base:

Such a series, not treated above, shows some interesting features:

151 - 141 - 131 - 121 - 111

First and last numbers = mass of G- and C-bases. The DNA-bases (+1 in A-base) are shown in figure below: 272 = 2 x 136 (~ Hypoxanthine), 252 = 2 x 126 = T-base:

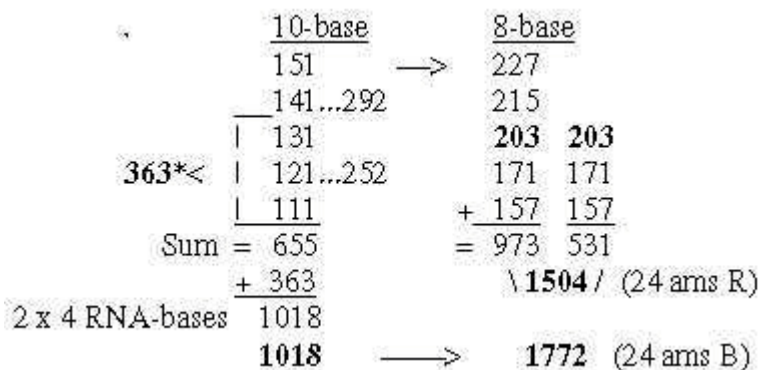
Fig 21-8: *An alternative series G - to C:*



With last three numbers doubled the sum in nb-10 = 2 x RNA-bases = **1018**, in nb-8 = 1772, the 24 unbound B-chains.

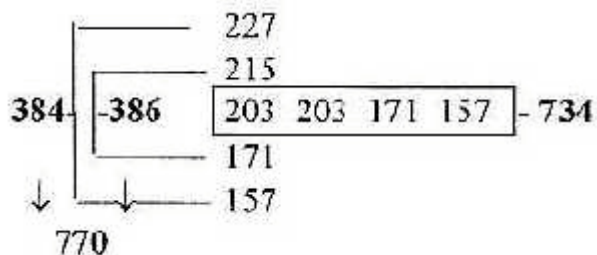
All these numbers transformed to nb-8 give the triplet sums 975 (543 + 432) - 2 and 531 (321 + 210), sum 1504, 24 ams R:

Fig. 21-9:



The 12-groups 770 and 734 of ams are shown in the figure below. Here it may be noted that we get the 734-group in the middle of the chain as in the ES-series, with 2 times 208 in that chain included, corresponding to both 203-groups here.

Fig 21-10:



The ams groups 816 and 688 from -/+ last number 157:

$$\begin{aligned}
 973 - 157 &= \mathbf{816} = \text{U1} + \text{C1} \\
 531 + 157 &= \mathbf{688} = \text{G1} + \text{A1}.
 \end{aligned}$$

Some other paired groups of ams R from this alternative series:

Fig. 21-11:

With a last step in the chain: 101, plus/minus:

$$\begin{array}{cc} \text{10-base} & \text{8-base} \\ \text{101} & \longrightarrow \text{145} \end{array}$$

$$973 - 145 = 828 = \mathbf{Z} \text{ total 24 ams R}$$

$$531 + 145 = 676 = \mathbf{N} \text{ total 24 ams R}$$

$$973 - 157, + 145 = 961 = \mathbf{A+U} + 1$$

$$531 + 157, - 145 = 543 = \mathbf{G+C} - 1$$

Fig. 21-12:

848 -- 656 division:

$$\begin{array}{cc} \text{10-base} & \text{8-base} \\ 151 & 227 \\ 141 & 215 \\ 2 \times 131 & 2 \times 203 = 406, \dots \text{Sum } \mathbf{848} = G2 + U2 \end{array}$$

$$\begin{array}{cc} 2 \times 121 & 2 \times 171 = 342 \\ 2 \times 111 & 2 \times 157 = 314, \dots \text{Sum } \mathbf{656} = C2 + A2 \end{array}$$

792-712:

Exponent series:

$$\begin{array}{l} 215 + 171 = 386 \\ 203 + 203 = 406, \dots \text{sum } \mathbf{792} \end{array} \quad = 2 \times 292 + 208$$

$$\begin{array}{l} 227 + 171 = 398 \\ 157 + 157 = 314, \dots \text{sum } \mathbf{712} \end{array} \quad = 2 \times 252 + 208$$

The doubled last steps re-written:

$$203 \sim 183 = -20$$

$$171 \sim 169 = -2$$

$$\underline{157} \dots \text{sum } \mathbf{531} - 22 = \mathbf{509} = \text{sum of 4 codon bases RNA}$$

$$\underline{101} \dots \text{sum } \mathbf{531} - 22 = \mathbf{509} = \text{sum of 4 codon bases RNA}$$

22. Other substances

Fats — Sugar — Na-Cl, Na-K-pump

Some annotations about other substances:

1. Fatty acids

Two common fatty acids $C_{18}H_{36}O_2 = 284-10 \rightarrow 1152-6$ (~752 rewritten) = 3×384 and $C_{16}H_{32}O_2 = 256-10 \rightarrow 1104-6 = 3 \times 368$ are already mentioned in file 17-1:

Fig. 22-1: *Two comon fatty acids*

	<u>10-base</u>	<u>6-base</u>	<u>Cf. codon type groups of ams:</u>
C18	284	1152	= 3 x 384
C16	256	1104	= 3 x 368

> 3 x 752 = 3/2 x 24 ams R.

$384 + 1 \times 2 = \text{Cross- plus Form-coded ams R.}$ $384 = G_8 + C_8$

$368 - 1 \times 2 = \text{RNA- plus Pair-coded ams R.}$ $367 = A_8 + U_8$

6-base 1152 ~ 752 re-written = $\frac{1}{2} \times 24$ ams R.

2. Carbohydrates:

Carbohydrates, some examples, transformations nb-16 \rightarrow 10 \rightarrow 8 or \rightarrow 6:

- $^{12}C \rightarrow H_2O \rightarrow HCOH = \underline{12-16} \rightarrow \underline{18-10} \rightarrow \underline{30-6}$, the building stone of sugar.

- O_2 16 A $\rightarrow H_2CO_3$ 62 A (built into ribose): $32-16 \rightarrow 50-10 \rightarrow 62-8 = +18, H_2O, +12, C$.

- Hexoses 180 in nb-10: In nb-16 $\underline{180 = 384-10}$ (= 2 citrate à 192 or e.g. G-8 + C-8).

- A fructose in P-P-bonds = 178: $\underline{178-16 = 376-10} = \frac{1}{2} \times 752$ in the ES-chain.

- Ribose 150 as a number in nb-16 = 336 in nb-10, 544 - 208 in ES-chain.

- A disaccharide 342 or two hexoses 180 from ES-numbers as *intervals* in transformation steps:

$252-16 \rightarrow 594-10 = +342$, a disaccharide.

$146-16 \rightarrow 326-10 \rightarrow 506-8$ (ATP charged -1) = $+180, +180$.

3. Na-Cl and the Na-K-pump:

Na-Cl and Na-K-pump in the nervous system:

Na 11 Z → Cl 17 Z → K 19 Z: Na 11-16 → Cl 17-10 → K 19-8

Na 23 A, Cl 35 A (most common isotope): Na 23-16 → Cl 35-10

Cf. Na, Cl, K ionized, 10 e, 18 e: in nb-10 to nb-8 = +2, number for the transport of 2H⁺ through membranes.

Fig. 22-3:

Na 11 Z, 23 A
 Cl 17 Z, 35 A (or. 37 A, mean value 35,4 A in nature)
 K 19 Z, 39 A (or. 41 A, 0,0018 %)

Z-numbers → Z-numbers ↔ A-numbers:

		<u>16-base</u>		<u>10-base</u>		<u>8-base</u>
Na	Z	11	→	17	Cl, Z	
Cl	Z			17	→	19 K Z
K	Z			19	→	23 Na A

A → Z:

		<u>10-base</u>		<u>8-base</u>		<u>16-base</u>
K	A			39 ~ 41	→	21
						↓
	Z	17	←	21	→	11
		Cl, Z		~ 19, K: Z		Na Z

A:

		<u>10-base</u>		<u>8-base</u>		<u>16-base</u>
K	A	39	→			27
						↓
Na	A	23	←	27		
Cl	A	35	→			23 Na: A

(27₁₀ = 39₆)

e-numbers:

		<u>10-base</u>	<u>8-base</u>	
Na ⁺	e	10	12	= + 2
K ⁺	e	18	22	= + 4..... ~ H-wanderings - ? -
Cl ⁻	e	18	22	" through cell membrane
H ₂ O	A	18	22	"

Discussion

The amount of correlations between the genetic code and numeral series is difficult to regard as only random ones.

A general problem is of course that it still doesn't seem to exist any known biochemically accepted mechanisms that could "explain" construction along such numeral series, however established facts in the other mentioned examples. It could however be questioned in which sense the 2x2-series behind the periodic system is "explained", or the formula for spectral lines of hydrogen.) Facts are there. Science has only its models, as far as possible congruent with the facts.

With the hypothesis here that they really reveal features in how Nature organized the genetic code, what should it imply? About the elementary series $5 \rightarrow 0$, the series of valences for atoms in the genetic code could be remembered: P - C - N - O, S - H = valences 5 - 4 - 3 - 2 - 1. A-dimensional interpretation seems inevitable, with regard to exponents and to transformations between nb-systems.

How should the exponent $2/3$ be explained? We have squares in the $2x^2$ -chain behind the periodic system and intervals between inverted squares behind the spectral lines of hydrogen. These formulas concern electron shells of atoms, i. e. the property charge. With mass and charge most elementary assumed as a mutual relation D3 to D2, cubes become natural. We have mass as the energy form concentrated in atomic nuclei, charge expressed in the atomic shell with released energy in kinetic form. Why then inverted cubes? They lead inwards to a deeper level, as does the inward direction toward nucleus in an atom.

It may be remembered too that there are a similar inverted relation between radii and mass in neutron stars.

The many relations of disparate kinds to the $2x^2$ -chain and other simpler chains support the interpretation of the genetic code as built on an elementary chain $x = 5 - 0$ with exponents of different degrees. With a dimensional view on the exponents, it could imply, either that such chains preceded the more elaborated ES-chain when the coding system emerged or could be regarded as simultaneously existing on underlying levels. It's possible to imagine a dimensional development from both ends of the chain towards step 3 - 2 in the middle with increasing agreement of mass distribution in the genetic code:

$$x^4 \rightarrow x^3 \rightarrow [x^{3/2} \rightarrow \leftarrow x^{2/3}] \leftarrow x^2 \leftarrow x^1.$$

The mass distribution as described in section I often implied minus/plus lower numbers in the ES-series, correlating with features in the background model. It points to a two-way direction in the chain of both disintegration and synthesis. This could seem to conflict with the common view on evolution as a stepwise synthesis towards more complex and bigger units. Yet, a double-direction is natural in Nature, if we think of macrocosm, Big Bang and both processes in celestial Hx-clouds. It could be mentioned that even among physicists this opposite view of disintegration, starting from a whole, has been proposed. (There is a similar pattern of two-way direction in the protein synthesis, where tRNAs as from opposite strands of DNA meet mRNA "the other way around" at ribosomes in the "middle" of the process.) See figure 1 in section I, with dimensional interpretation of the forms from double direction (D4) in DNA to single-

strnded RNA as vector (pole 4b) outwards to ribosomes (D3) - meeting tRNAs (as "clover leaves" D2) and ams.

It's shown too that not only mass distribution on codon groups of ams correlates with the ES-chain but also other bases for mass division, for instance with main groups of atom kinds and the not codon-dependant B-chains as well as with several features in the origin of ams from stations in glycolysis - citrate cycle. This suggests an interpretation where the same principle scheme is developed on different levels or as representing different axes in a coordinate system when the genetic code emerged.

The single fact that the mass division on C-skeleton and other atoms (960 and 544) is the same as between main codon groups (U+A, 960 and G+C, 544) supports in itself the general suggestion that the code is built on a numeral series.

In several ways the results seems to agree with the coevolution theory [6, 7]. There is the relation with biochemical origins of ams from glycolysis and citrate cycle. There is the view of codon domains as totals, differentiated in following steps, even if the "codon domains" here is related to mass sums of ams. There is also the fact that G1-coded ams "arrive first" in the number chain as 5 out of about 7 ams assumed first in that theory: GG-GC-GU-GA-GA besides Ser UC and Phe UU..

Then about mass again, rejected as irrelevant for codon assignments: In addition to arguments in the *Introduction* it's reasonable to ask for instance why precisely these ams have been selected for coding, not other ones? The selection seems rather random. Why just this number of ams with oxygen as end groups, that number of ams with nitrogen? (Besides that both types and polar and non-polar ams surely have been necessary.)

Further, when much research in this field has been focusing on the "most stable" configuration of the coding system, one could naturally ask what the background is for this stability? One aspect is of course that the most common isotopes have shown up to be most stable. (When calculating with common mix of isotopes today, atomic weights should change the sum of R- plus B-chains of ams from 3276 → 3280 abbreviated, R-chains from 1504 → 1506, no more than the deviations of single units (u) in this analysis.) In addition, the analysis here mostly concerns groups of ams, i. e. sums were an individual deviation in mass might have a rather small influence.

The fact that Ileu sometimes gets mixed with Leu by tRNAs could also be mentioned, differing in structure but having the same mass and atoms.

Does the proposal for a guiding numeral series exclude such an individual invention among certain organisms as Pyl, called the 22nd ams, occupying a stop codon? Pyl adds 108 to R-chain of Lys, i. e. the interval 3' to 1' in the ES-chain and could eventually be suspected as a "misreading" of the chain, leading to a compound, a new "word"?

The examples of transformations between nb-systems are astonishing and certainly provocative. They support however a general dimensional view in the creation of the code and actually too the relevance of the ES-chain. They seem to reveal a deep level in the reference system of a hitherto unknown kind, representing the very steps between dimensional degrees. In physical and biochemical terms they should imply something like mutual resonances between "mass fields" in different dimensional degrees, relations and fragmentation guided by geometrical and arithmetical rules. A problem is naturally the superfluity of such possible transformational relations.

If proposals in this paper are accepted as hypotheses, they will naturally raise many new

questions and lead to secondary hypotheses, which in their turn could be possible to test. The dimensional aspects, mostly omitted here, should reasonably, if elaborated further, have implications for protein structures and their different functions in cells.

Whatever to believe about the arithmetic, something of that kind resembles life - in being very simple and very productive - and naturally multidimensional.

*

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